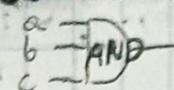


Zadanie domowe

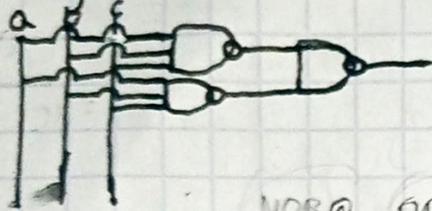
a	b	c	AND (a∩b∩c)
0	0	0	0
0	0	1	0
0	1	1	0
0	1	0	0
1	1	0	0
1	1	1	1
1	0	1	0
1	0	0	0

$$f(a,b,c) = (a \cap b \cap c) \cup (a \cap b \cap c) \cup (a \cap b \cap c)$$

$$f(a,b,c) = (a \cap b \cap c)$$



a) $f(a,b,c) = \sim(\sim(a \cap b \cap c) \cap \sim(a \cap b \cap c))$



a	b	c	NAND (~(a∩b∩c))	AND (a∩b∩c)
0	0	0	1	0
0	0	1	1	0
0	1	1	1	0
0	1	0	1	0
1	1	0	1	0
1	1	1	0	1
1	0	1	1	0
1	0	0	1	0

b)

a	b	c	NOR (~(a∪b∪c))	OR (a∪b)	NOR NOT (~(a∪a))	NOT (~b)	NOT (~c)	NOR OR (~(a∪b)∪c)
0	0	0	1	0	1	1	1	0
0	0	1	0	1	1	1	0	0
0	1	1	0	1	1	0	0	0
0	1	0	0	1	1	0	1	0
1	1	0	0	1	0	0	1	0
1	1	1	0	1	0	0	0	1
1	0	1	0	1	0	1	0	0
1	0	0	0	1	0	1	1	0

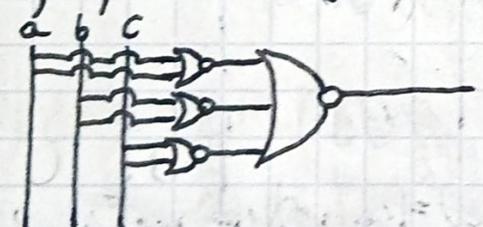
$$\sim(a \cup b)$$

$$\sim(\sim(a \cup a)) = a$$

$$\sim(\sim(a \cup a)) = a$$

$$\sim(\sim a \cup \sim b \cup \sim c) = \sim(\sim a) \cap \sim(\sim b) \cap \sim(\sim c) = a \cap b \cap c$$

$$f(a,b,c) = \sim(\sim(a \cup a) \cup \sim(b \cup b) \cup \sim(c \cup c))$$



- $a \cup a = a$
- $a \cap a = a$
- $a \cup 0 = a$
- $a \cup 1 = 1$
- $a \cap 1 = a$
- $a \cap 0 = 0$

$$\sim(a \cup b) = (\sim a) \cap (\sim b)$$

$$\sim(a \cap b) = \sim a \cup \sim b$$